

After spending most of his money on various projects, Nadan decided to afford high quality shoes for his software developers. Luckily for Nadan, he found  $N$  left shoes and  $M$  right shoes in his basement. Since their origin is unknown, the shoes come in various sizes.

Nadan asked you to pair as many shoes as possible (it's important that a new pair cannot be selected after pairing all the shoes). Each pair should consist of one left shoe and one right shoe. While pairing the shoes, you should make sure that the ugliness is minimized. The ugliness of one pairing is defined as the maximal absolute difference of the shoe sizes between all pairs of shoes.

### INPUT

The first line contains two positive integers  $N$  and  $M$  ( $1 \leq N, M \leq 100\,000$ ), the number of left shoes and right shoes, in that order.

The second line contains  $N$  numbers  $L_i$  ( $1 \leq L_i \leq 10^9$ ), the sizes of the left shoes.

The third line contains  $M$  numbers  $R_i$  ( $1 \leq R_i \leq 10^9$ ), the sizes of the right shoes.

### OUTPUT

Output the minimal ugliness between all possible shoe pairings.

### SCORING

In test cases worth 20% of total points, it will hold that  $N = M$ .

In test cases worth additional 50% of total points, it will hold that  $N, M \leq 5\,000$ .

### SAMPLE TESTS

**input**

```
2 3
2 3
1 2 3
```

**output**

```
0
```

**input**

```
4 3
2 39 41 45
39 42 46
```

**output**

```
1
```

**input**

```
5 5
7 6 1 2 10
9 11 6 3 12
```

**output**

```
4
```

#### Clarification of the second sample test:

Nadan has 4 left and 3 right shoes, maximal number of pairs that can be obtained is 3. One possible pairing is: **39 - 46**, 41 - 42, 45 - 39, but ugliness of such pairing is 7 because of the first pair.

Better pairing would be:

39 - 39, 41 - 42, 45 - 46, with ugliness being equal to 1, which is minimal possible ugliness that can be obtained.